

# Chemical Kinetics: Rates of Reaction

## STUDY INFO From Paul Groves

### Three Ways to Speed Up a Reaction

**Temperature** (more and harder collisions)

**Concentration** (more collisions)

increase **concentration** (of solutions)

increase **partial pressure** (of gases)

increase **surface area** (different phases)

**Catalyst** (more effective collisions)

**homogeneous** (used & reformed)

**heterogeneous** (surface catalyst)

[catalyst provides an alternate mechanism that requires lower energy collision or ensures that correct particles collide]

### Converting Rates

Reaction:  $2A + 3B \rightarrow 4C$

$$-\frac{1}{2} \frac{\Delta[A]}{\Delta t} = -\frac{1}{3} \frac{\Delta[B]}{\Delta t} = \frac{1}{4} \frac{\Delta[C]}{\Delta t}$$

**NOTE:** The Rate Law **CANNOT** be determined from the overall reaction. It **MUST** be determined **experimentally** because the rate law reflects only the “rate determining step.”

### Rate Law matches the Rate Determining Step

Examples for:  $2A + 3B \rightarrow C$

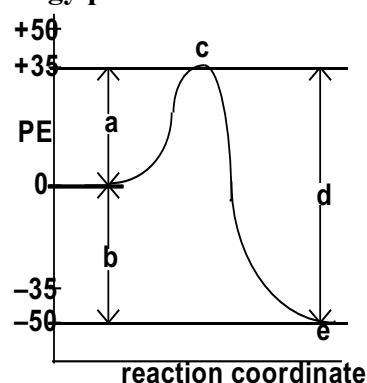
Rate Law matches	Rate Determining Step in the mechanism
Rate = $k[A][B]$	$A + B \rightarrow X$ (slow)
Rate = $k[A]^2$	$A + A \rightarrow X$ (slow)
Rate = $k[A]^2[B]$	$A + A \rightleftharpoons X$ (fast) $B + X \rightarrow Y$ (slow)
Rate = $k$	This could be a mechanism that depends on an enzyme. Concentrations do not matter.

### Graphical Method of Order of Reaction

order	straight-line plot	Slope
0	$[R]_t$ vs. $t$	$-k$
1	$\ln[R]_t$ vs. $t$	$-k$
2	$1/[R]_t$ vs. $t$	$k$

### Two Important Diagrams

PE energy profile of a reaction



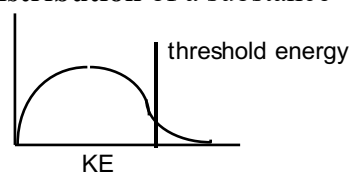
Exothermic, downhill, negative  $\Delta H$

Endothermic, uphill, positive  $\Delta H$

activation energy ( $E_a$ ) = energy barrier

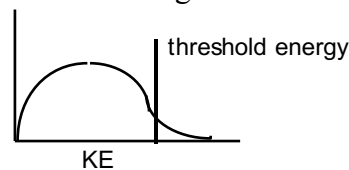
- activated complex (at the peak)
- whether a reaction is fast or slow depends on the activation energy in the PE profile
- PE profile does not change with change in temperature of the reactants?
- adding a catalyst lowers the  $E_a$

### The KE distribution of a substance

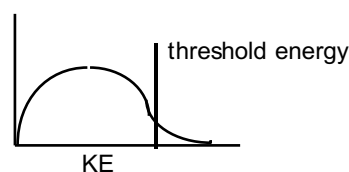


- **temperature** is the **average KE**

-increasing temperature spreads out curve to the right, increases average KE

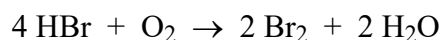


- adding a **catalyst** moves the threshold energy to the left.

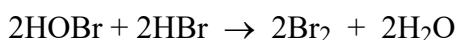
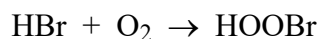


## Reaction mechanisms

Overall:

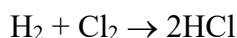


Mechanism:

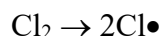


[NOTE: HOBr and HOBr are “intermediates”]

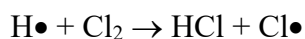
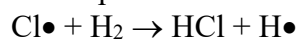
## Chain Reactions



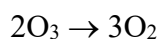
- initiation steps



- propagation steps



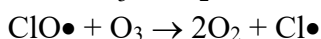
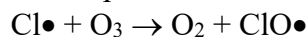
- termination step



- initiation step



- propagation steps



- termination step



One Cl• can destroy 100,000 O<sub>3</sub> molecules.

## Arrhenius Equation

$$\ln k = \frac{-E_a}{R} \left( \frac{1}{T} \right) + \ln A$$

$$R = 8.31 \text{ J mol}^{-1} \text{ K}^{-1} \text{ (Units: } E_a \text{ is in kJ mol}^{-1}\text{)}$$

Use the rate law to calculate the rate constant, *k*, at two different temperatures.

Determine activation energy, *E<sub>a</sub>*, using the Arrhenius Equation. Since the above equation fits the “*y = mx + b*” expression, you can plot a graph of  $\ln k$  (y-axis) vs.  $1/T$  (x-axis). The slope of the line is  $-E_a/R$ .

Here is how the **equations** are given on the AP Exam and how they will appear on your chapter test:

These are the first order integrated rate law, the second order integrated rate law, and the Arrhenius Equation.

$$\ln[A]_t - \ln[A]_0 = -kt$$

$$\frac{1}{[A]_t} - \frac{1}{[A]_0} = kt$$

$$\ln k = \frac{-E_a}{R} \left( \frac{1}{T} \right) + \ln A$$

